



## Measurement of the thickness of the corneal tear-film using a Twyman-Green interferometer

Varis Karitans<sup>1</sup>, Inta Silina<sup>2</sup>, Juris Lukjanovs<sup>2</sup>, Gunta Krumina<sup>2</sup>

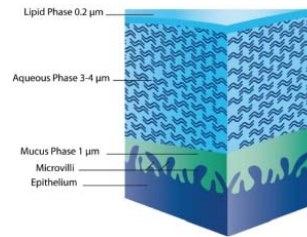
<sup>1</sup>Department of Ferroelectrics, Institute of Solid State Physics, University of Latvia, Kengaraga street 8, Riga, Latvia LV-1063

<sup>2</sup>Department of Optometry and Vision Science, Faculty of Physics and Mathematics, University of Latvia, Kengaraga street 8, Riga, Latvia, LV-1063



## Introduction

- In some way a human eye tear-film can be seen as a thin-film.
- Essentially, it is a multi-layered structure.



<http://www.clspectrum.com/articleviewer.aspx?articleID=104177>

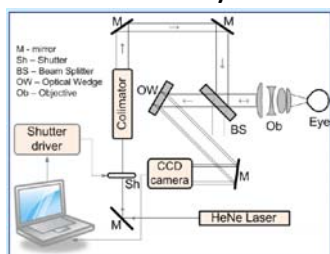
## Methods of estimating tear-film quality and thickness

- The break-up time (BUT) test.
- Schirmer's test.
- Scheimpflug imaging.
- The optical coherence tomography (OCT).
- Projection of a grid on the surface of an eye.
- Reflectometry;
- Interferometry.

## Interferometry

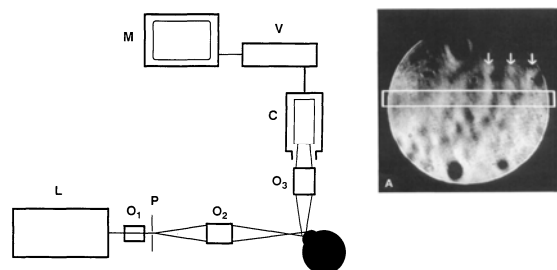
- Interferometry methods have gained more and more attention in assessment of the quality of the tear-film.
- These methods have been used both to characterize the break-up dynamics and thickness of the tear-film.

## Tear-film dynamics



Tomasz J. Licznarski, Henryk T. Kasprzak, and Waldemar Kowalik  
 Technical University of Wrocław, Institute of Physics, Wybrzeże Wyspiańskiego 27, 50-370 Wrocław, Poland  
 (Paper CDO-010 received Feb. 5, 1998; revised manuscript received Nov. 23, 1998; accepted for publication Nov. 24, 1998.)  
 APPLICATION OF TWYMAN-GREEN INTERFEROMETER FOR EVALUATION OF IN VIVO BREAK-UP CHARACTERISTIC OF THE HUMAN TEAR FILM

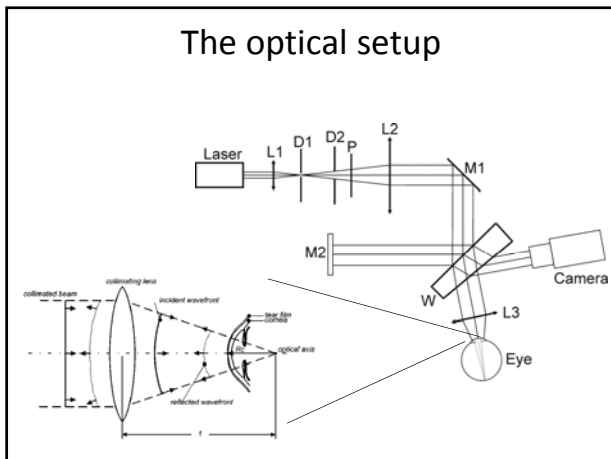
## Tear-film thickness



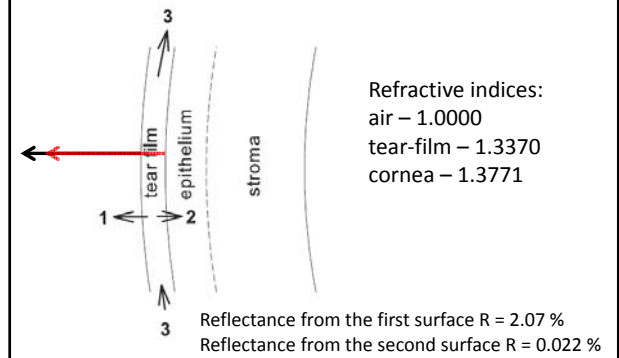
Study of Precorneal Tear Film Thickness and Structure by Interferometry and Confocal Microscopy

Jeremy I. Prydal and Fergus W. Campbell

## The optical setup

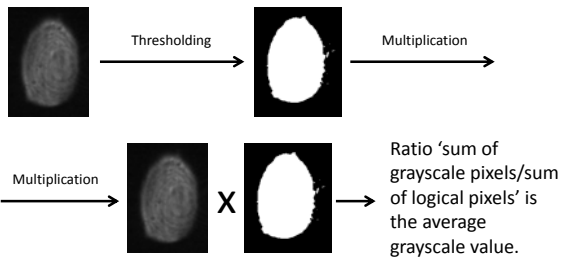


## Creation of interference pattern

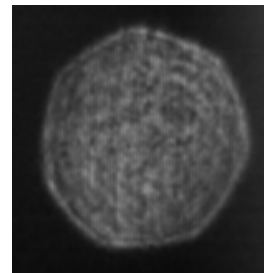


## Image processing

- The camera is controlled by MaxIm DL 5.
- The images are processed in Matlab.

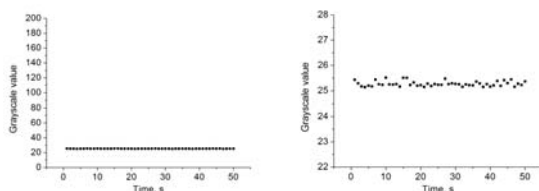


## Interference from calibration ball

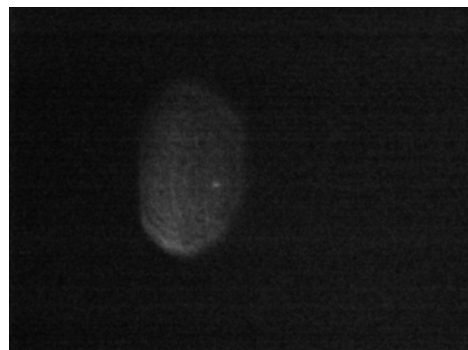


According to manufacturer's specifications the surface roughness equals  $0.1\ \mu\text{m}$ .

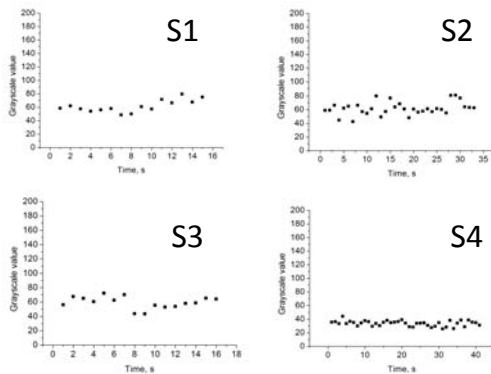
## Time-varying intensity of the calibration ball



## Tear-film dynamics



## Time-varying intensity of the tear-film



## Fitting function

$$E_1 = E_{01} \cdot \sin(\omega \cdot t)$$

$$E_2 = E_{02} \cdot \sin(\omega \cdot t + \varphi)$$

As the beams are coherent

$$E = E_1 + E_2 = E_{01} \cdot \sin(\omega \cdot t) + E_{02} \cdot \sin(\omega \cdot t + \varphi)$$

The optical path length difference

$$\varphi = \frac{4\pi n_f d_f}{\lambda} = \frac{4\pi n_f (A \cdot e^{-\frac{t}{\tau}} + B)}{\lambda}, \text{ where } n_f \text{ and } d_f \text{ are the tear-film refractive index and thickness, respectively, } A \text{ and } B - \text{ constants, } \lambda - \text{ wavelength.}$$

## Fitting function

Applying superposition principle, the magnitude of the resultant displacement of the waves is

$$E = E_1 + E_2$$

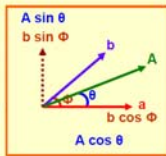
$$E = a \sin \omega t + b \sin (\omega t + \Phi)$$

$$E = (a + b \cos \Phi) \sin \omega t + b \sin \Phi \cos \omega t$$

Putting  $a + b \cos \Phi = A \cos \theta$   
 $b \sin \Phi = A \sin \theta$

We get  $E = A \sin (\omega t + \theta)$

(where E is the resultant displacement. A is the resultant amplitude and  $\theta$  is the resultant phase difference)



$$A = \sqrt{(a^2 + b^2 + 2ab \cos \Phi)}$$

$$\tan \theta = \frac{b \sin \Phi}{a + b \cos \Phi}$$

$$A = \sqrt{(a^2 + b^2 + 2ab \cos \Phi)}$$

Intensity I is proportional to the square of the amplitude of the wave.

## Fitting function

•  $E =$

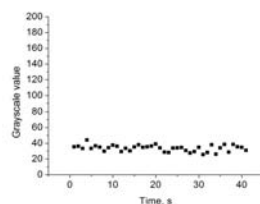
$$0.144 \cdot E_0 \cdot \sin(\omega \cdot t) + 0.0108 \cdot E_0 \cdot \sin(\omega \cdot t + \frac{4\pi n_f (A \cdot e^{-\frac{t}{\tau}} + B)}{\lambda})$$

$$I \sim E^2$$

$$I \sim I_0 \cdot (0.02085264 + 0.0031104 \cdot \cos(\frac{4\pi n_f (A \cdot e^{-\frac{t}{\tau}} + B)}{\lambda}))$$

## Calculating the thickness

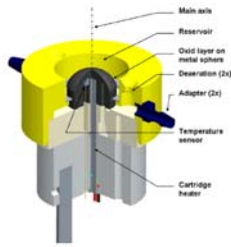
- One period equals  $\lambda = 0.6328 \mu\text{m}$ .
- Thickness  $d$  equals:
- $d = (n + \text{residual phase}/2 \cdot \pi) \cdot \lambda$



## Future plans

- In future we plan to develop a model eye to simulate behaviour of a tear-film.
- We also plan to compare various artificial tears and their thickness and stability.
- Our goal is to make this method useful for determination of the dry-eye syndrome.

## A model eye for the tear-film simulation



Stefan Arnold<sup>1,2,\*</sup>, Holger Bruenner<sup>1</sup>, Achim Langenbucher<sup>2,3</sup>

**Simultaneous examination of tear film break-up and the lipid layer of the human eye: A novel model eye for time course simulation of physiologic tear film behavior (Part 2)**

## Conclusions

- The Twyman-Green interferometer can be used to detect variations in light intensity resulting from interference from both surfaces of the tear-film.
- The method is simple and requires no special calibration. In addition, it is rather insensitive to lateral eye movements. Alignment is extremely difficult and it is sensitive to longitudinal movements.
- The method may be useful for detecting the dry-eye syndrome.

# Thank You!

The study is supported by the ESF project  
2013/0021/1DP/1.1.1.2.0/13/APIA/VIAA/001

